

Paper - V  
Group theory I

Short type

- ① Define abelian group with example
- ② Define homomorphism
- ③ Every cyclic group is an abelian group.

long

- ④ prove that the normalizer  $N(a)$  of  $a \in G$  is a subgroup of  $G$
- ⑤ prove that cyclic groups of same order are isomorphic
- ⑥ if  $H_1$  and  $H_2$  are two subgroups of a group  $G$  then  $H_1$  and  $H_2$  is also a subgroup of  $G$ .